

Propagation into the Calorimeter Constant

$$q_{\text{obs}} = C\Delta T; C = q_{\text{obs}} / \Delta T$$

$$C = \{q_{\text{MeSal}} + q_{\text{Fe}} - q_{\text{soot}}\} / \Delta T$$

$$= \{m_{\text{MeSal}} \Delta E_{\text{MeSal}} + m_{\text{Fe}} \Delta E_{\text{Fe}} + m_{\text{soot}} \Delta E_{\text{soot}}\} / \Delta T$$

Uncertainties: Masses: 0.0003g

(remember to propagate errors from mass-by-difference measurements)

ΔE : 1 in the last significant figure

ΔT : Either: 0.004°C

OR use propagation of error from least-squares analysis (use LINEST to find S for slope/int.)

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3 multiplicative analyses (errors in $m\Delta E$)

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Followed by an additive analysis (error in q)

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3 multiplicative analyses (errors in $m\Delta E$)

Followed by an additive analysis (error in q ; also error in ΔT by subtraction)

Followed by a multiplicative analysis (error in C)