

PH315: Writing style for a lab report

This document gives you a basic idea of the writing style that is expected for a lab report. The subject of this example lab report is very simple (stretching a spring). The ph315 lab is more complicated than this. Every experiment is different, so every lab report is different. Do not treat this example report as a cookie-cutter template. Check the grading rubric for the PH315 lab for a detailed list of what you are expected to include in your own report.

Lab report:

Quantitative model for the displacement of a spring

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Introduction

The goal of this experiment is to find a quantitative model that accurately predicts how much a spring will stretch when it is loaded with a force.

Procedure:

The spring of interest was hung vertically with a mass hanger attached to the lower end of the spring. Mass m , ranging from 1 g to 140 g was added to the mass hanger (see Figure 1). As the mass increased, the downward force on the end of the spring increased

$$F_{\text{down}} = mg.$$

The change in location of the end of the spring, Δy , was measured after the mass came to rest.

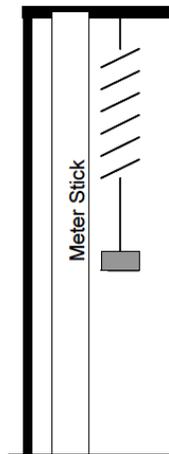


Figure 1. Schematic of the procedure.

There is some level of uncertainty in the measured variables. Displacement was measured using a meter stick. When reading the meter stick, effort was made to sight the measurement directly, so that a horizontal line would connect the bottom of the mass hanger to the reading on the meter stick. We estimate that the uncertainty in y -position is approximately 0.05 cm. The masses values were labeled. We did not have a method for calibrating/verifying the mass, therefore, the uncertainty in m is unknown.

Results

Table 1 summarizes the 44 measurements that we made. The trial-to-trial variation was minimal (about 0.05 cm), which is consistent with our estimated uncertainty for the displacement measurement technique.

Table 1

Position	Mass (g)	Location of the Mass Hanger Reference in cm $\pm 0.05\text{cm}$			
		Trial 1	Trial 2	Trial 3	Trial 4
Reference	0	69.55	69.50	69.50	69.50
1	1	69.27	69.19	69.18	69.17
2	3	68.61	68.50	68.53	68.52
3	5	67.95	67.87	67.88	67.86
4	10	66.42	66.20	66.21	66.20
5	20	62.90	62.89	62.90	62.93
6	40	56.32	56.22	56.30	56.23
7	60	49.65	49.60	49.61	49.6
8	80	42.97	42.97	42.95	42.95
9	100	36.32	36.30	36.32	36.32
10	120	29.63	29.70	29.72	29.72
11	140	23.07	23.05	23.10	23.12

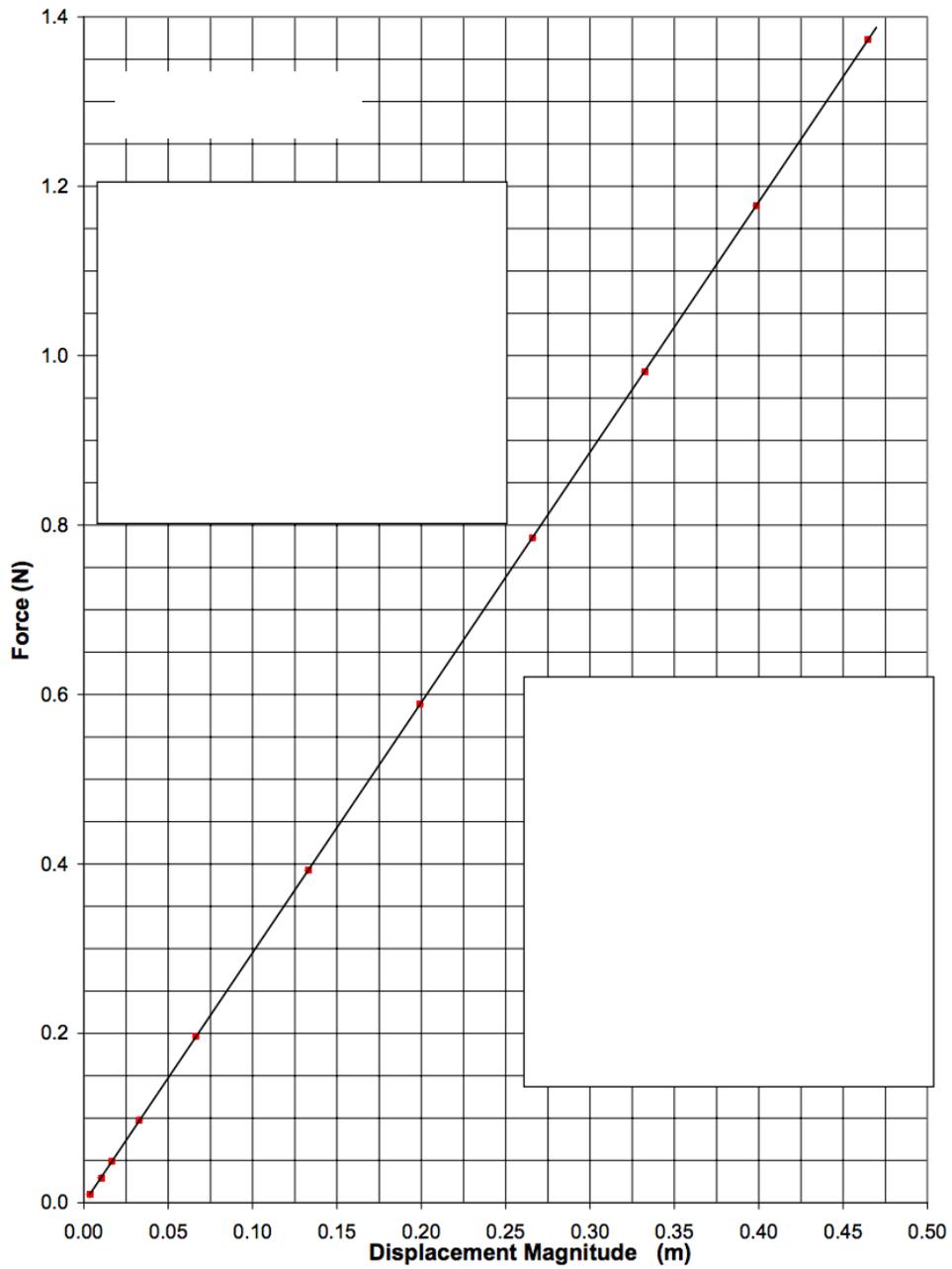


Figure 2. A plot of the downward force on the spring (mg) as a function of the displacement of the spring, Δy .

Figure 2 shows a graph of mg vs. Δy . We found that the experimental results can be fit with a straight line

$$mg = k|\Delta y| \quad (1)$$

where the fitting parameter $k = 2.95$ N/m. We considered other functional forms for fitting the data (such as higher-order polynomial or exponential), but Eqn. 1 gives the best fit.

The experimental uncertainty in the fitting parameter, k , is very small. Each experimental data point is within 0.01 N of the fit line (see Figure 2). The vertical displacements ranges from 0 to 0.5 m. Therefore, we estimate the standard uncertainty in k is less than 0.02 N/m.

While the uncertainty in the mass values is unknown, the excellent fit between Eqn. 1 and the experimental data suggests that the nominal mass values are actually very accurate.

Conclusion

A linear relationship between force and displacement describes our experimental system very well. This linear relationship was valid for $\Delta y = 0$ to 0.5 m. We did not test displacements above 0.5 m. We conclude that this simple quantitative model (Eqn. 1) can accurately predict how much this spring will stretch when it is loaded with a known force.