

## PARTICLELIKE PROPERTIES OF LIGHT

(or, of electromagnetic radiation, in general)

### Continued:

Let's summarize what we have said so far:

#### Arguments

I. ~~Effects~~ supporting the wave-like nature of light:

- (a) Young's double-slit experiment;
- (b) Diffraction phenomena (Newton tried to explain them using his theory, but the explanation worked only for very simple situations - but not for pronounced ~~observed~~ effects, such as, e.g. diffraction grating)
- (c) Maxwell's Equations and the experiments verifying them

II. Arguments supporting the particle-like nature of light:

- (a) Photoelectric effect

So far, on the list there is only one argument in favor of particle-like nature

But the list is not finished yet! More argument can be add to I. as well as to II.

Let's continue the story.

Pronounced wave-like properties (interference, diffraction) can be observed for "soft forms" of electromagnetic radiation ("radiofrequency" radiation used in <sup>wireless</sup> communication - radio, TV, cell phones - and radar frequencies, a.k.a. microwaves).

On the other hand, "soft" radiation does not cause photoelectric effect - it's occur only for "harder" radiation, for visible light, or even "harder", like ultraviolet

~~So, perhaps~~

So, perhaps "softer" EM radiation has a wave-like nature, and with "hardening" it changes to particlelike nature?

This is only partially true - indeed, when the frequency increases (the wavelength becomes shorter), the particlelike properties are more strongly manifested - but the wave-like properties don't go away, oh, no!

Example - scattering of X-rays by crystal. It is evidently diffraction!

In 1895, Wilhelm Konrad Roentgen, a German physicist, discovered an entirely new form of radiation - X-rays - which had many amazing properties.

Question: can you give me some examples of the properties of X-rays that for people living 100 years ago were clearly amazing?

For more than 10 years, the nature of X-rays was really mysterious.

Until Max von Laue (a German) and the Braggs (father and son) started shining X-rays on crystals. It turned out that crystals act as 3-dimensional diffraction gratings for X-rays!

The diffraction effects for X-rays are strongly

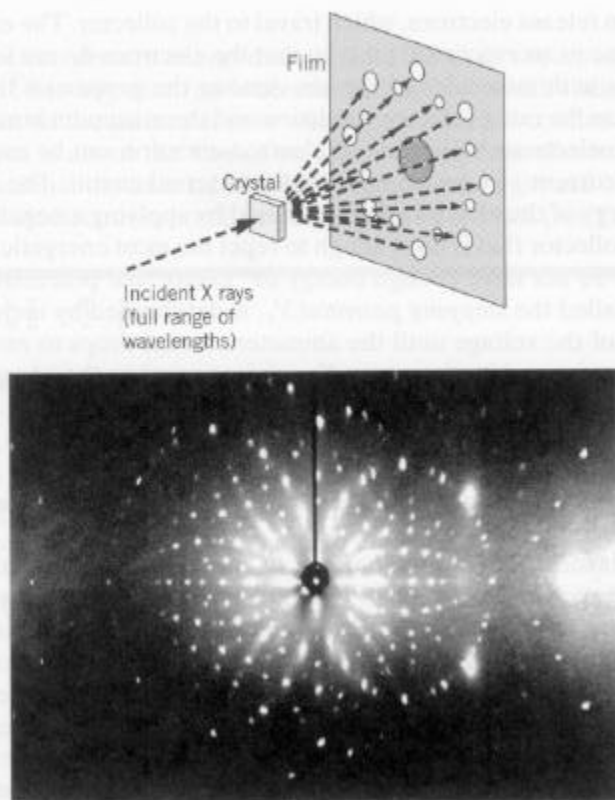


FIGURE 3.7 (Top) Apparatus for observing X-ray scattering by a crystal. An interference maximum (dot) appears on the film whenever a set of crystal planes happens to satisfy the Bragg condition for a particular wavelength. (Bottom) Laue pattern of NaCl crystal.

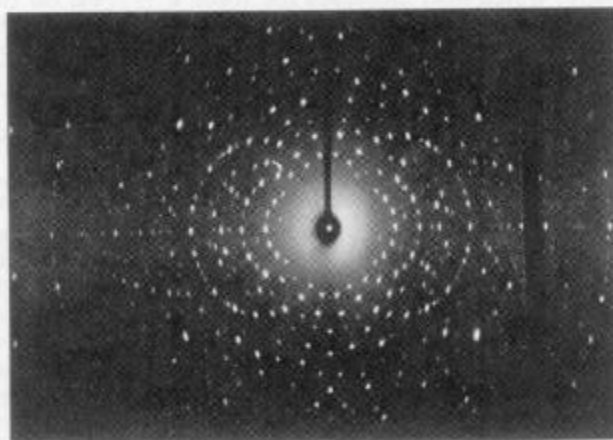


FIGURE 3.8 Laue pattern of a quartz crystal. The difference in crystal structure and spacing between quartz and NaCl makes this pattern look different from Figure 3.7.

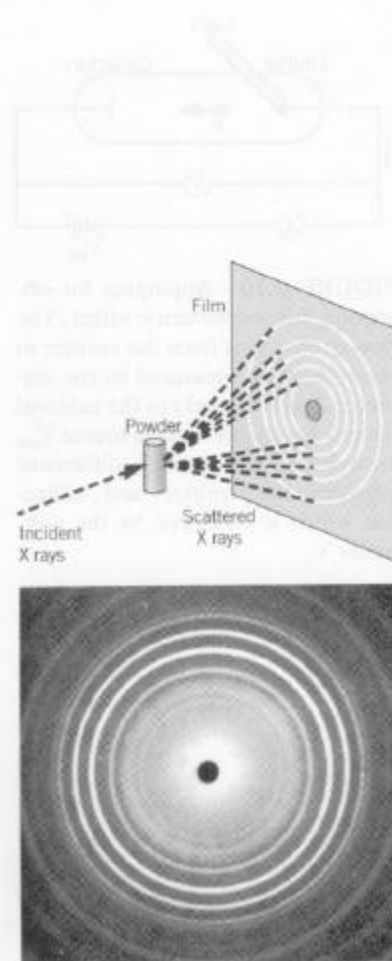
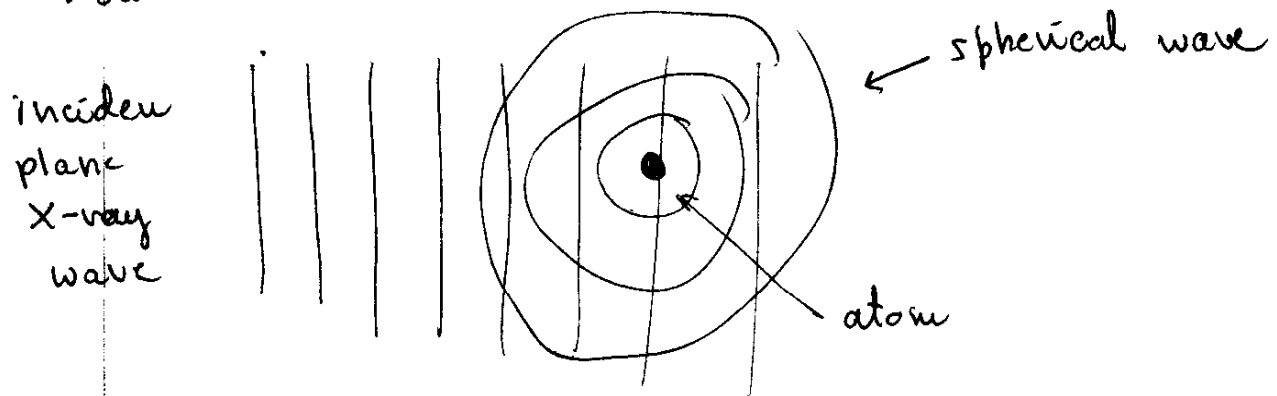


FIGURE 3.9 (Top) Apparatus for observing X-ray scattering from a powdered sample. Because the many crystals in a powder have all possible different orientations, each scattered ray of Figure 3.7 becomes a cone which forms a circle on the film. (Bottom) Diffraction pattern (known as Debye-Scherrer pattern) of a powder sample.

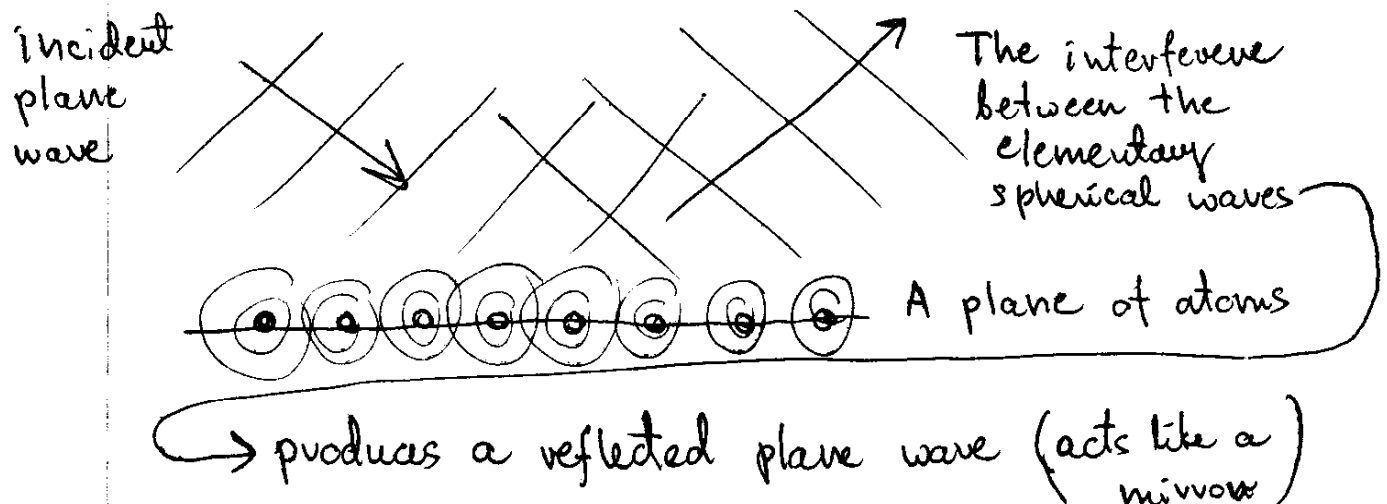
manifested in crystals, because the typical wavelengths ( $\sim 0.1 - 1 \text{ nm}$ ) are comparable to interatomic spacing in crystals.

Question: Why we don't observe diffraction of visible light in crystals?

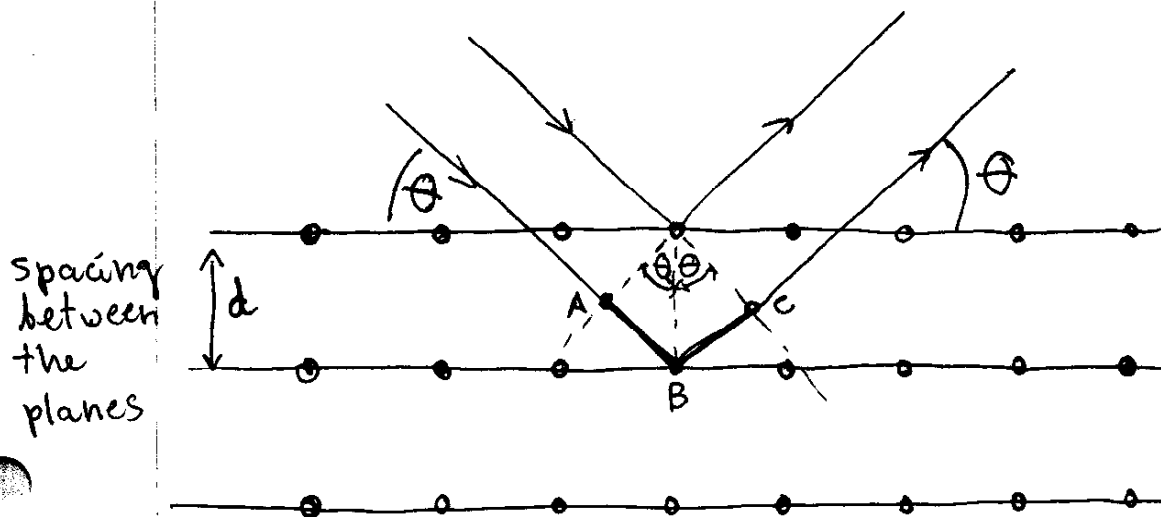
How does diffraction work in crystals?



When a plane ~~is~~ X-ray wave is incident on a single atom, a scattered wave is produced in the form of a spherical wave.



Scattering from a single plane of atoms is weak. But if there are many planes, the scattering may be greatly enhanced due to constructive interference:



The difference in the "optical path" between the waves reflected by two adjacent atomic planes in the figure is represented by the ABC line. From simple trigonometry, we obtain:  $ABC = 2d \sin\theta$

The condition for constructive interference is that ABC is equal to  $n\lambda$ , where  $\lambda$  is the wavelength, and  $n$  is an integer number.

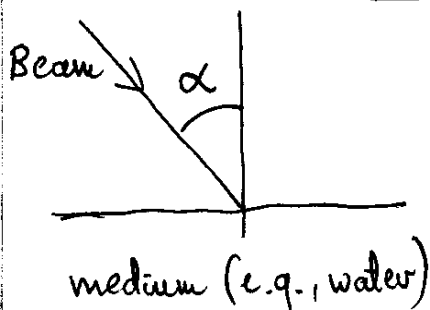
So:

$$n\lambda = 2d \sin\theta$$

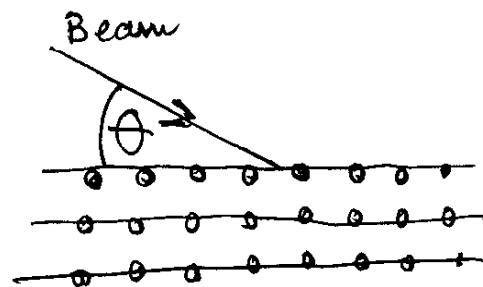
This is the famous Bragg Law.

Note that the angle  $\theta$  is measured between the beam propagation direction, and the atomic plane.

Recall: in visible light optics, we measure the angle of incidence between the beam direction and a line perpendicular to the surface:



How we define the "angle of incidence" for light



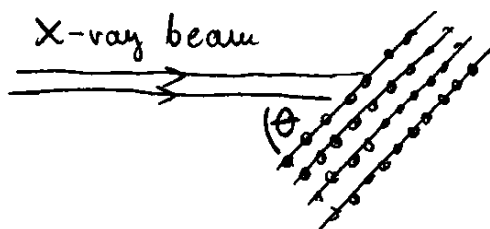
How we define the "angle of incidence" for X-rays.

(79)

When the Bragg Law (or the "Bragg condition")  
 $n\lambda = 2d \sin\theta$  is satisfied, we observe  
 sharp reflections

Example: the spacing between atomic planes in  
 NaCl is 0.565 nm (5.65 Å).

Commonly used X-ray tubes with  
 Cu anode produce X-rays with  $\lambda = 0.154$  nm



We slowly rotate the crystal — for what  $\theta$   
 values Bragg reflection will occur?

$$\sin\theta = \frac{n\lambda}{2d} : \quad n=1, \sin\theta = 0.1363 \Rightarrow \theta = 7.8^\circ$$

$$n=2, \sin\theta = 0.2726 \Rightarrow 15.8^\circ$$

⋮

$$n=7, \sin\theta = 0.9540 \Rightarrow \theta = 72.55^\circ$$

$$n=8, \sin\theta > 1 \Rightarrow \text{no reflection!}$$



X-ray diffraction is a powerful tool for determining the atomic structure of crystals

For example, the structure of proteins, the basic building blocks of live organisms.

Or DNA (you all know what DNA is, of course!).

Bragg diffraction is a strong argument supporting the wave nature of EM radiation !!!

Next example:

BLACKBODY RADIATION